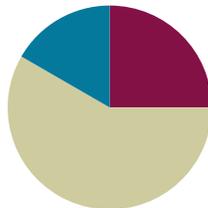


# Lesson 1

**Objective:** Solve word problems in varied contexts using a letter to represent the unknown.

## Suggested Lesson Structure

■ Fluency Practice	(15 minutes)
■ Concept Development	(35 minutes)
■ Student Debrief	(10 minutes)
<b>Total Time</b>	<b>(60 minutes)</b>

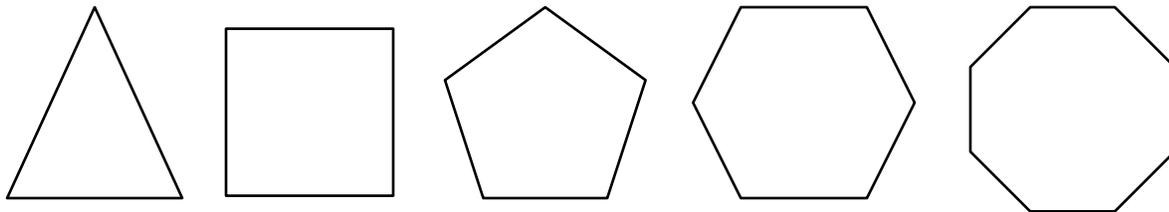


### Fluency Practice (15 minutes)

- Name the Shape **2.G.1** (3 minutes)
- Multiply by 3 **3.OA.7** (8 minutes)
- Equivalent Counting with Units of 2 **3.OA.7** (4 minutes)

### Name the Shape (3 minutes)

Note: This fluency activity reviews Grade 2 geometry concepts in preparation for Topic B.



T: (Project the triangle.) What’s the name of the shape?

S: Triangle.

T: (Project the square.) What’s one name for this shape?

S: Square (or rectangle).

T: How many sides does a square have?

S: Four.

T: What’s the name for all four-sided figures?

S: Quadrilateral.

Continue with the following possible shapes: pentagon, hexagon, and octagon.

### Multiply by 3 (8 minutes)

Materials: (S) Multiply by 3 (1–5) (Pattern Sheet)

Note: This activity builds fluency with multiplication facts using units of 3. It works toward students knowing from memory all products of two one-digit numbers.

T: (Write  $5 \times 3 = \underline{\quad}$ .) Let’s skip-count up by threes to find the answer. (Raise a finger for each number to track the count. Record the skip-count answers on the board.)

S: 3, 6, 9, 12, 15.

T: (Circle 15, and write  $5 \times 3 = 15$  above it. Write  $3 \times 3 = \underline{\quad}$ .) Let’s skip-count up by threes again. (Track with fingers as students count.)

S: 3, 6, 9.

T: Let’s see how we can skip-count down to find the answer, too. Start at 15 with 5 fingers, 1 for each three. (Count down with fingers as students say the numbers.)

S: 15 (5 fingers), 12 (4 fingers), 9 (3 fingers).

Repeat the process for  $4 \times 3$ .

T: (Distribute the Multiply by 3 Pattern Sheet.) Let’s practice multiplying by 3. Be sure to work left to right across the page.

#### Directions for Administration of Multiply-By Pattern Sheet

- Distribute the Multiply-By Pattern Sheet.
- Allow a maximum of two minutes for students to complete as many problems as possible.
- Direct students to work left to right across the page.
- Encourage skip-counting strategies to solve unknown facts.

### Equivalent Counting with Units of 2 (4 minutes)

Note: This activity builds fluency with multiplication facts using units of 2. The progression builds in complexity. Work students up to the highest level of complexity where they can confidently participate.

T: Count to 10. (Write as students count. See the chart below.)

S: 1, 2, 3, 4, 5, 6, 7, 8, 9, 10.

T: (Write 1 two beneath the 1.) Count to 10 twos. (Write as students count.)

S: 1 two, 2 twos, 3 twos, 4 twos, 5 twos, 6 twos, 7 twos, 8 twos, 9 twos, 10 twos.

1	2	3	4	5	6	7	8	9	10
1 two	2 twos	3 twos	4 twos	5 twos	6 twos	7 twos	8 twos	9 twos	10 twos
2	4	6	8	10	12	14	16	18	20
1 two	4	3 twos	8	5 twos	12	7 twos	16	9 twos	20
2	2 twos	6	4 twos	10	6 twos	14	8 twos	18	10 twos

- T: Count by twos to 20. (Write as students count.)
- S: 2, 4, 6, 8, 10, 12, 14, 16, 18, 20.
- T: (Write 1 two beneath the 2. Write 4 beneath the 4.) I'm going to give you a challenge. Let's alternate between saying the units of two and the number. (Write as students count.)
- S: 1 two, 4, 3 twos, 8, 5 twos, 12, 7 twos, 16, 9 twos, 20.
- T: (Write 2 beneath 1 two and 2 twos beneath the 4.) Let's alternate again. (Write as students count.)
- S: 2, 2 twos, 6, 4 twos, 10, 6 twos, 14, 8 twos, 18, 10 twos.

### Concept Development (35 minutes)

Materials: (S) Problem Set, personal white board

Have students put the Problem Set into their personal white boards.

- T: Let's solve the first problem using our Read-Draw-Write process. What should we do first?
- S: Read the problem!
- T: Let's read together: *The sign below shows information about hayrides at the orchard. (The sign is shown on the right.) Lena's family buys 2 adult tickets and 2 child tickets for the hayride. How much does it cost Lena's family to go on the hayride? Take 15 seconds to visualize the action, and then tell your partner the scene it describes.*
- S: My family goes apple picking at the orchard in the fall! → I know that hayride. It's a tractor! → I can imagine a girl, her parents, and her sister or brother buying tickets.
- T: Reread the question to yourself. Then, use your own words to tell your partner what it's asking.
- S: It wants to know how much money Lena's family spends on hayride tickets.
- T: Notice the information provided to help you answer the question. What do you see?
- S: The problem says that there are four people in Lena's family. Two adults and two kids. → There's a chart, too. It tells the different prices of tickets and also when the hayrides leave.
- T: Think about the Read-Draw-Write process. What question should we ask ourselves next?
- S: What can I draw?



#### NOTES ON MULTIPLE MEANS OF ENGAGEMENT:

If English language learners and others are unfamiliar with the context of Problem 1 on the Problem Set, change *hayrides* and *orchard* to terms from a more familiar context, such as *rides* and *carnival*.

Chart to Accompany Problem 1

Hayrides	
Adult ticket . . . . .	\$7
Child ticket . . . . .	\$4
Leaves every 15 minutes starting at 11:00.	

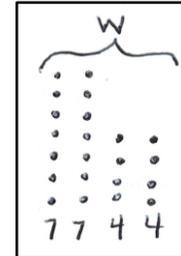
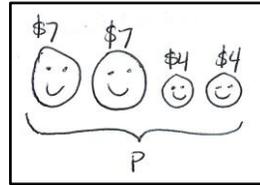
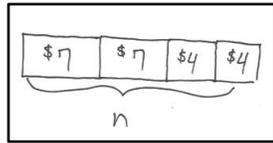
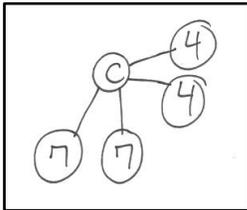


#### NOTE ON MULTIPLE MEANS OF REPRESENTATION:

The purpose of using personal white boards is for ease of sharing work. If necessary, slip out the Problem Set, and show the work on the clear plastic sleeve using an overhead projector. Depending on the technology available, students may solve directly on the Problem Set rather than on personal white boards.

T: Reread the problem, and think about your answer to that question. (Allow students time to do so.) Show your thinking on your personal white board. As you label your drawing, use a letter to represent the unknown.

Some possible student models are shown below.



T: Tell your partner how your drawing represents the problem. Be sure to discuss your labels, too.

S: (Discuss drawings and labels with partners.)

Circulate and identify two or three students with different models to share their explanations with the class. Encourage the class to question the presenter if the explanation is incomplete or clarification is needed. Ask students to discuss the usefulness of the various models presented by their classmates.

T: What information is known, and what information is unknown in this problem?

S: We know the cost of adult and child tickets and how many of each the family bought. → We don't know how much the tickets cost altogether. → We know parts but not the whole.

**MP.1** T: Look back at your drawing. Think about what equations you can write based on your drawing to model the problem and solve. Share your thinking with a partner.

S: I was just going to write  $7 + 7 + 4 + 4 = c$  and find the answer. → I was thinking  $2 \times 7 = 14$  and  $2 \times 4 = 8$ , so  $14 + 8 = n$ . → That works, but if you're going to multiply, you can just write  $(2 \times 7) + (2 \times 4) = p$ . → Or you can write  $2 \times (7 + 4) = n$ .

T: Choose a strategy and solve.

S: (Solve.)

Circulate and identify two or three students with different solutions to share their work with the class. During the discussion, focus on the relationship between the drawing and the equation. Students should notice that most, if not all, combinations of models and equations work together.

T: What is the final step of our Read-Draw-Write process?

S: Write! → Write a sentence with words to answer the problem.

T: Do that now. Reread the question to be sure your sentence accurately answers it.

S: (Possible answer: It costs Lena's family \$22 to go on the hayride.)

T: Look back at your work, and try to remember your thinking at each step of the way. (Give students a few moments to recall their thoughts.) Explain your steps to your partner.

S: I first read the problem and visualized. Then, I noticed the chart with prices. I drew a number bond to show 2 adult tickets and 2 child tickets, and I labeled the whole as the unknown. I thought about what I knew and what I didn't know. Then, I wrote this equation to find the total of the adult tickets and then the total of the child tickets. I found the whole total. Last, I reread the question and wrote a word sentence to answer it.

**MP.1** T: Suppose you tried this problem again. Would you try a different drawing? A different equation? Why or why not? Discuss with your partner. (Allow students time to discuss.)

Depending on lesson pacing and the needs of the class, guide students through another problem. Consider other methods of guidance, including the following:

- Have students read and draw the situation independently. Share and discuss more after they have completed their drawings.
- Discuss the visualization of the story, and then release students to draw and label a model and write a matching equation. Share and discuss after they have finished their drawings and equations.

If another problem is selected, facilitate discussion that encourages students to think about more than one approach to a problem. Dialogue should broaden their perspectives and begin to engage them in critically considering their choices.

**Problem Set (25 minutes)**

Students should do their personal best to complete the Problem Set within the allotted 25 minutes. Some problems do not specify a method for solving. This is an intentional reduction of scaffolding that invokes MP.5, Use Appropriate Tools Strategically. Students should solve these problems using the RDW approach used for Application Problems.

For some classes, it may be appropriate to modify the assignment by specifying which problems students should work on first. With this option, let the purposeful sequencing of the Problem Set guide the selections so that problems continue to be scaffolded. Balance word problems with other problem types to ensure a range of practice. Consider assigning incomplete problems for homework or at another time during the day.

**Student Debrief (10 minutes)**

Lesson 1 Problem Set 3•7

Name: Gina Date: \_\_\_\_\_

Lena's family visits Little Tree Apple Orchard. Use the RDW process to solve the problems about Lena's visit to the orchard. Use a letter to represent the unknown in each problem.

1. The sign below shows information about hayrides at the orchard.

**Hayrides**

Adult ticket . . . . . \$7

Child ticket . . . . . \$4

Leaves every 15 minutes starting at 11:00.

a. Lena's family buys 2 adult tickets and 2 child tickets for the hayride. How much does it cost Lena's family to go on the hayride?

*Handwritten solution:*  $C = 7 + 7 + 4 + 4 = 14 + 8 = 22$ . It costs Lena's family \$22 to go on the hayride.

b. Lena's mom pays for the tickets with \$5 bills. She receives \$3 in change. How many \$5 bills does Lena's mom use to pay for the hayride?

*Handwritten solution:*  $5b = 22 + 3 = 25$ ,  $b = 25 \div 5 = 5$ . Lena's mom used 5 five dollar bills to pay for the hayride.

c. Lena's family wants to go on the fourth hayride of the day. It's 11:38 now. How many minutes do they have to wait for the fourth hayride?

*Handwritten solution:* Number line from 11:00 to 12:00 with marks every 15 minutes. The fourth hayride is at 11:45.  $m = 45 - 38 = 7$ . They have to wait 7 minutes.

COMMON CORE Lesson 1: Solve word problems in varied contexts using a letter to represent the unknown. 12/17/13 engage<sup>ny</sup> 7.A.10

**Lesson Objective:** Solve word problems in varied contexts using a letter to represent the unknown.

The Student Debrief is intended to invite reflection and active processing of the total lesson experience.

Invite students to review their solutions for the Problem Set. They should check work by comparing answers with a partner before going over answers as a class. Look for misconceptions or misunderstandings that can be addressed in the Debrief. Guide students in a conversation to debrief the Problem Set and process the lesson.

Any combination of the questions below may be used to lead the discussion, depending on how students have been asked to solve the Problem Set.

- Invite students who used different drawings for the same problem to share their work. Facilitate a comparative discussion.
- Did you try one of the drawing or equation ideas from our lesson today in another problem on the Problem Set? Which did you use? Why did you use it for that problem?
- What operations were needed to solve Problem 2? What helped you figure that out?
- In Problems 2 and 3, division was used after either addition or subtraction. What equations did you write to show that? How can both operations be shown with a single equation?
- Why do you think we spent so much time in our lesson today talking about different ways to draw and write equations for the same problem?

Lesson 1 Problem Set 3•7

2. Lena picked 17 apples and her brother picked 19. Lena's mom has a pie recipe that requires 9 apples. How many pies can Mom make with the apples that Lena and her brother picked?

$$17 + 19 = 36$$

$$16 + 20 = 36$$

$$p = 36 \div 9$$

$$p = 4$$
 Lena's mom can make 4 pies.

3. Lena's dad gives the cashier \$30 to pay for 6 liters of apple cider. The cashier gives him \$6 in change. How much does each liter of apple cider cost?

$$30 - 6 = 24$$

$$C = 24 \div 6 = 4$$
 Each liter of cider costs \$4.

4. The apple orchard has 152 apple trees. There are 88 trees with red apples. The rest of the trees have green apples. How many more trees have red apples than green apples?

$$152 - 88 = 64$$

Red apples = 88  
 Green apples = 64  $m$   
 $m = 88 - 64$   
 $m = 24$   
 There are 24 more trees that have red apples than green apples.

COMMON CORE Lesson 1: Solve word problems in varied contexts using a letter to represent the unknown. Date: 11/21/13 engageNY 7.A.9

**Exit Ticket (3 minutes)**

After the Student Debrief, instruct students to complete the Exit Ticket. A review of their work will help with assessing students' understanding of the concepts that were presented in today's lesson and planning more effectively for future lessons. The questions may be read aloud to the students.

Multiply.

$3 \times 1 = \underline{\quad}$      $3 \times 2 = \underline{\quad}$      $3 \times 3 = \underline{\quad}$      $3 \times 4 = \underline{\quad}$

$3 \times 5 = \underline{\quad}$      $3 \times 1 = \underline{\quad}$      $3 \times 2 = \underline{\quad}$      $3 \times 1 = \underline{\quad}$

$3 \times 3 = \underline{\quad}$      $3 \times 1 = \underline{\quad}$      $3 \times 4 = \underline{\quad}$      $3 \times 1 = \underline{\quad}$

$3 \times 5 = \underline{\quad}$      $3 \times 1 = \underline{\quad}$      $3 \times 2 = \underline{\quad}$      $3 \times 3 = \underline{\quad}$

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$3 \times 4 = \underline{\quad}$      $3 \times 1 = \underline{\quad}$      $3 \times 4 = \underline{\quad}$      $3 \times 2 = \underline{\quad}$

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$3 \times 2 = \underline{\quad}$      $3 \times 5 = \underline{\quad}$      $3 \times 3 = \underline{\quad}$      $3 \times 5 = \underline{\quad}$

$3 \times 4 = \underline{\quad}$      $3 \times 2 = \underline{\quad}$      $3 \times 4 = \underline{\quad}$      $3 \times 3 = \underline{\quad}$

$3 \times 5 = \underline{\quad}$      $3 \times 3 = \underline{\quad}$      $3 \times 2 = \underline{\quad}$      $3 \times 4 = \underline{\quad}$

$3 \times 3 = \underline{\quad}$      $3 \times 5 = \underline{\quad}$      $3 \times 2 = \underline{\quad}$      $3 \times 4 = \underline{\quad}$

multiply by 3 (1–5)

Name \_\_\_\_\_

Date \_\_\_\_\_

Lena's family visits Little Tree Apple Orchard. Use the RDW process to solve the problems about Lena's visit to the orchard. Use a letter to represent the unknown in each problem.

1. The sign below shows information about hayrides at the orchard.



- a. Lena's family buys 2 adult tickets and 2 child tickets for the hayride. How much does it cost Lena's family to go on the hayride?
- b. Lena's mom pays for the tickets with \$5 bills. She receives \$3 in change. How many \$5 bills does Lena's mom use to pay for the hayride?
- c. Lena's family wants to go on the fourth hayride of the day. It's 11:38 now. How many minutes do they have to wait for the fourth hayride?



Name \_\_\_\_\_

Date \_\_\_\_\_

Use the RDW process to solve the problem below. Use a letter to represent the unknown.

Sandra keeps her sticker collection in 7 albums. Each album has 40 stickers in it. She starts a new album that has 9 stickers in it. How many total stickers does she have in her collection?



2. At the city zoo, they see 17 young bats and 19 adult bats. The bats are placed equally into 4 areas. How many bats are in each area?
3. Max's father gives the cashier \$20 to pay for 6 water bottles. The cashier gives him \$8 in change. How much does each water bottle cost?
4. The zoo has 112 types of reptiles and amphibians in their exhibits. There are 72 types of reptiles, and the rest are amphibians. How many more types of reptiles are there than amphibians in the exhibits?