Name ___________________________________________  Date ____________________

1. The following equations involve different quantities and use different operations, yet produce the same result. Use a place value chart and words to explain why this is true.

\[ 4.13 \times 10^3 = 4130 \quad \quad 413,000 \div 10^2 = 4130 \]

2. Use an area model to explain the product of 4.6 and 3. Write the product in standard form, word form, and expanded form.
3. Compare using $>$, $<$, or $\leq$.
   
   a. $2 \text{ tenths} + 11 \text{ hundredths}$
      
      $0.13$

   b. $13 \text{ tenths} + 8 \text{ tenths} + 32 \text{ hundredths}$
      
      $2.42$

   c. $342 \text{ hundredths} + 7 \text{ tenths}$
      
      $3 + 49 \text{ hundredths}$

   d. $2 + 31 \times \frac{1}{10} + 14 \times \frac{1}{100}$
      
      $2.324$

   e. $14 + 72 \times \frac{1}{10} + 4 \times \frac{1}{1000}$
      
      $21.24$

   f. $0.3 \times 10^2 + 0.007 \times 10^3$
      
      $0.3 \times 10 + 0.7 \times 10^2$
4. Dr. Mann mixed 10.357 g of chemical A, 12.062 g of chemical B, and 7.506 g of chemical C to make 5 doses of medicine.

   a. About how much medicine did he make in grams? Estimate the amount of each chemical by rounding to the nearest tenth of a gram before finding the sum. Show all your thinking.

   b. Find the actual amount of medicine mixed by Dr. Mann. What is the difference between your estimate and the actual amount?

   c. How many grams are in one dose of medicine? Explain your strategy for solving this problem.

   d. Round the weight of one dose to the nearest gram.
End-of-Module Assessment Task

Standards Addressed

Generalize place value understanding for multi-digit whole numbers.

5.NBT.1 Recognize that in a multi-digit number, a digit in one place represents 10 times as much as it represents in the place to its right and 1/10 of what it represents in the place to its left.

5.NBT.2 Explain patterns in the number of zeros of the product when multiplying a number by powers of 10, and explain patterns in the placement of the decimal point when a decimal is multiplied or divided by a power of 10. Use whole-number exponents to denote powers of 10.

5.NBT.3 Read, write, and compare decimals to thousandths.
   a. Read and write decimals to thousandths using base-ten numerals, number names, and expanded form, e.g., 347.392 = 3 × 100 + 4 × 10 + 7 × 1 + 3 × (1/10) + 9 × (1/100) + 2 × (1/1000).
   b. Compare two decimals to thousandths based on meanings of the digits in each place, using >, =, and < symbols to record the results of comparisons.

5.NBT.4 Use place value understanding to round decimals to any place.

Perform operations with multi-digit whole numbers and with decimals to hundredths.

5.NBT.7 Add, subtract, multiply, and divide decimals to hundredths, using concrete models or drawings and strategies based on place value, properties of operations, and/or the relationship between addition and subtraction; relate the strategy to a written method and explain the reasoning used.

Convert like measurement units within a given measurement system.

5.MD.1 Convert among different-sized standard measurement units within a given measurement system (e.g., convert 5 cm to 0.05 m), and use these conversions in solving multi-step, real world problems.

Evaluating Student Learning Outcomes

A Progression Toward Mastery is provided to describe steps that illuminate the gradually increasing understandings that students develop on their way to proficiency. In this chart, this progress is presented from left (Step 1) to right (Step 4). The learning goal for students is to achieve Step 4 mastery. These steps are meant to help teachers and students identify and celebrate what the students CAN do now and what they need to work on next.
## A Progression Toward Mastery

<table>
<thead>
<tr>
<th>Assessment Task Item and Standards Assessed</th>
<th>STEP 1 Little evidence of reasoning without a correct answer.</th>
<th>STEP 2 Evidence of some reasoning without a correct answer.</th>
<th>STEP 3 Evidence of some reasoning with a correct answer or evidence of solid reasoning with an incorrect answer.</th>
<th>STEP 4 Evidence of solid reasoning with a correct answer.</th>
</tr>
</thead>
</table>
| 1 5.NBT.1 5.NBT.2                         | Student is unable to provide a correct response.            | Student attempts but is not able to accurately draw the place value chart or explain reasoning fully. | Student correctly draws the place value chart but does not show full reasoning or explains reasoning fully, but the place value chart does not match the reasoning. | Student correctly:  
  - Draws the place value chart showing movement of digits.  
  - Explains the movement of units to the left for multiplication and the movement of units to the right for division. |
| 2 5.NBT.7                                 | Student is unable to use the area model to find the product. | Student attempts to use an area model to multiply but does so inaccurately. Student attempts to write either the word or expanded form of an inaccurate product. | Student uses the area model to multiply but does not find the correct product. The student accurately produces a word and expanded form of an inaccurate product. | Student correctly:  
  - Draws an area model.  
  - Shows work to find the product of 13.8.  
  - Accurately expresses the product in both word and expanded form. |
| 3 5.NBT.3a 5.NBT.3b                       | Student answers none or one part correctly.                 | Student answers two or three answers correctly.           | Student answers four or five answers correctly.                                                | Student correctly answers all six parts.  
  a. >  
  b. =  
  c. >  
  d. >  
  e. <  
  f. < |
<table>
<thead>
<tr>
<th>Score</th>
<th>Description</th>
<th>Example</th>
</tr>
</thead>
<tbody>
<tr>
<td>4</td>
<td>The student answers none or one part correctly.</td>
<td>The student answers none or one part correctly.</td>
</tr>
<tr>
<td></td>
<td>The student answers two parts correctly.</td>
<td>The student is able to find all answers correctly but is unable to explain the strategy in Part (c) or answers three of the four parts correctly.</td>
</tr>
<tr>
<td></td>
<td>The student correctly:</td>
<td>The student correctly:</td>
</tr>
<tr>
<td></td>
<td>a. Estimates 10.357 g to 10.4 g, 12.062 g to 12.1 g, and 7.506 g as 7.5 g; finds the sum 30 g; shows work or model.</td>
<td>a. Estimates 10.357 g to 10.4 g, 12.062 g to 12.1 g, and 7.506 g as 7.5 g; finds the sum 30 g; shows work or model.</td>
</tr>
<tr>
<td></td>
<td>b. Finds the sum 29.925 g and the difference 0.075 g.</td>
<td>b. Finds the sum 29.925 g and the difference 0.075 g.</td>
</tr>
<tr>
<td></td>
<td>c. Finds the quotient 5.985 g and explains accurately the strategy used.</td>
<td>c. Finds the quotient 5.985 g and explains accurately the strategy used.</td>
</tr>
<tr>
<td></td>
<td>d. Rounds 5.985 g to 6 g.</td>
<td>d. Rounds 5.985 g to 6 g.</td>
</tr>
</tbody>
</table>
1. The following equations involve different quantities and use different operations, yet produce the same result. Use a place value chart and words to explain why this is true.

\[4.13 \times 10^2 = 4130\]
\[413,000 \div 10^2 = 4130\]

When I multiplied, the digits moved 3 places to the left, because they got larger. When I divided, the digits moved 2 places to the right, because they decreased.

2. Use an area model to explain the product of 4.6 and 3. Write the product in standard form, word form, and expanded form.

\[
\begin{align*}
3 \times 4 & \quad \text{ones:} \\
3 \times 6 & \quad \text{tenths:} \\
12 & \quad 18 \\
12 + 1.8 & = 13.8 \\
\end{align*}
\]

Thirteen and eight tenths

\[1 \times 10 + 3 \times 1 + 8 \times \frac{1}{10}\]
3. Compare using $>$, $<$, or $\equiv$.

a. $2$ tenths + $11$ hundredths $> 0.13$

b. $13$ tenths + $8$ tenths + $32$ hundredths $\equiv 2.42$

c. $342$ hundredths + $7$ tenths $> 3 + 49$ hundredths

d. $2 + 31 \times \frac{1}{10} + 14 \times \frac{1}{100} > 2.324$

e. $14 + 72 \times \frac{1}{10} + 4 \times \frac{1}{1000} < 21.24$

f. $0.3 \times 10^2 + 0.007 \times 10^3 < 0.3 \times 10 + 0.7 \times 10^2$
4. Dr. Mann mixed 10.357 g of chemical A, 12.062 g of chemical B, and 7.506 g of chemical C to make 5 doses of medicine.

a. About how much medicine did he make in grams? Estimate the amount of each chemical by rounding to the nearest tenth of a gram before finding the sum. Show all your thinking.

\[
\begin{align*}
A & \quad 10.357 \approx 10.4 \quad 10.4 \\
B & \quad 12.062 \approx 12.1 \quad 12.1 \\
C & \quad 7.506 \approx 7.5 \\
\hline
\text{Dr. Mann made} & \quad \text{about 30 grams} \\
of \text{medicine.} & \quad \text{of medicine.}
\end{align*}
\]

b. Find the actual amount of medicine mixed by Dr. Mann. What is the difference between your estimate and the actual amount?

\[
\begin{align*}
10.357 \\
12.062 \\
+ 7.506 \\
\hline
29.925
\end{align*}
\]

\[
\begin{align*}
29.925 & \quad 29.925 \\
30.000 & \quad - 29.925 \\
\hline
0.075
\end{align*}
\]

The difference in the estimated and actual amounts is 0.075 grams.

c. How many grams are in one dose of medicine? Explain your strategy for solving this problem.

\[
\begin{align*}
5.985 \\
5 \) 29.925 \\
\hline
2.25 \\
\hline
.49 \\
\hline
.45 \\
\hline
.42 \\
\hline
.40 \\
\hline
.25 \\
\hline
.25 \\
\hline
.0
\end{align*}
\]

I used the algorithm to find my answer.

There are 5.985 grams of medicine in one dose.

d. Round the weight of one dose to the nearest gram.

\[
5.985 \approx 6 \text{ g}
\]